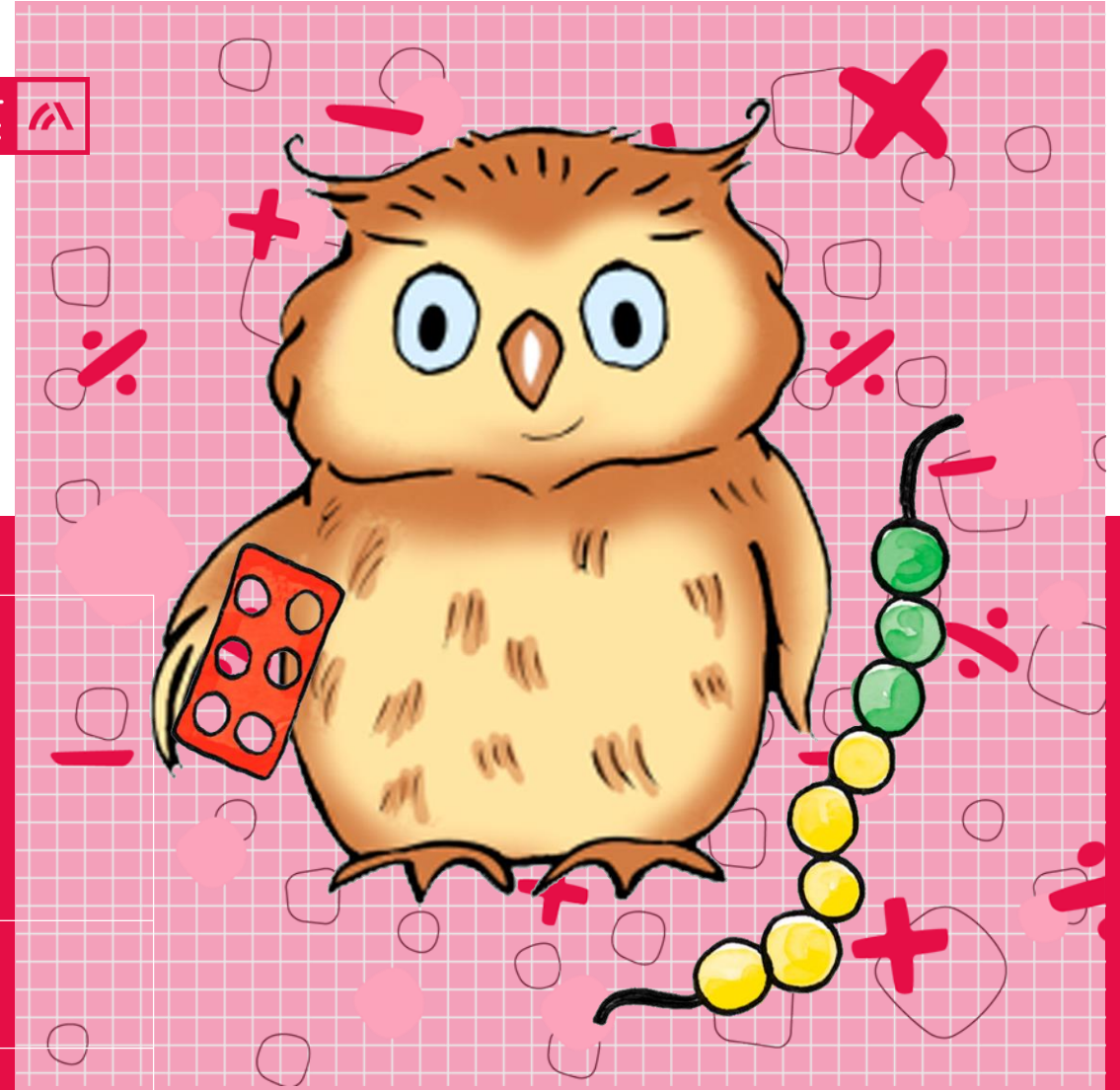


Year 3 Unit 6: Multiplication and division

Week 2: Multiplication

Mathematics
Mastery



Year 3 Unit 6: Multiplication and division



Mathematics
Mastery

Lesson 6: How many outfits?

- Solving correspondence problems

Lesson 7: Doubling to find multiplication facts

- Recalling and using multiplication facts for three and four to find multiplication facts for six and eight

Lesson 8: Ten times greater

- Deriving 'ten times greater' facts for known multiplication tables

Lesson 9: Use bar models to represent word problems

- Matching appropriate bar models to multiplication and division problems

Lesson 10: Consolidation and review

- See unit narrative (no slides provided)

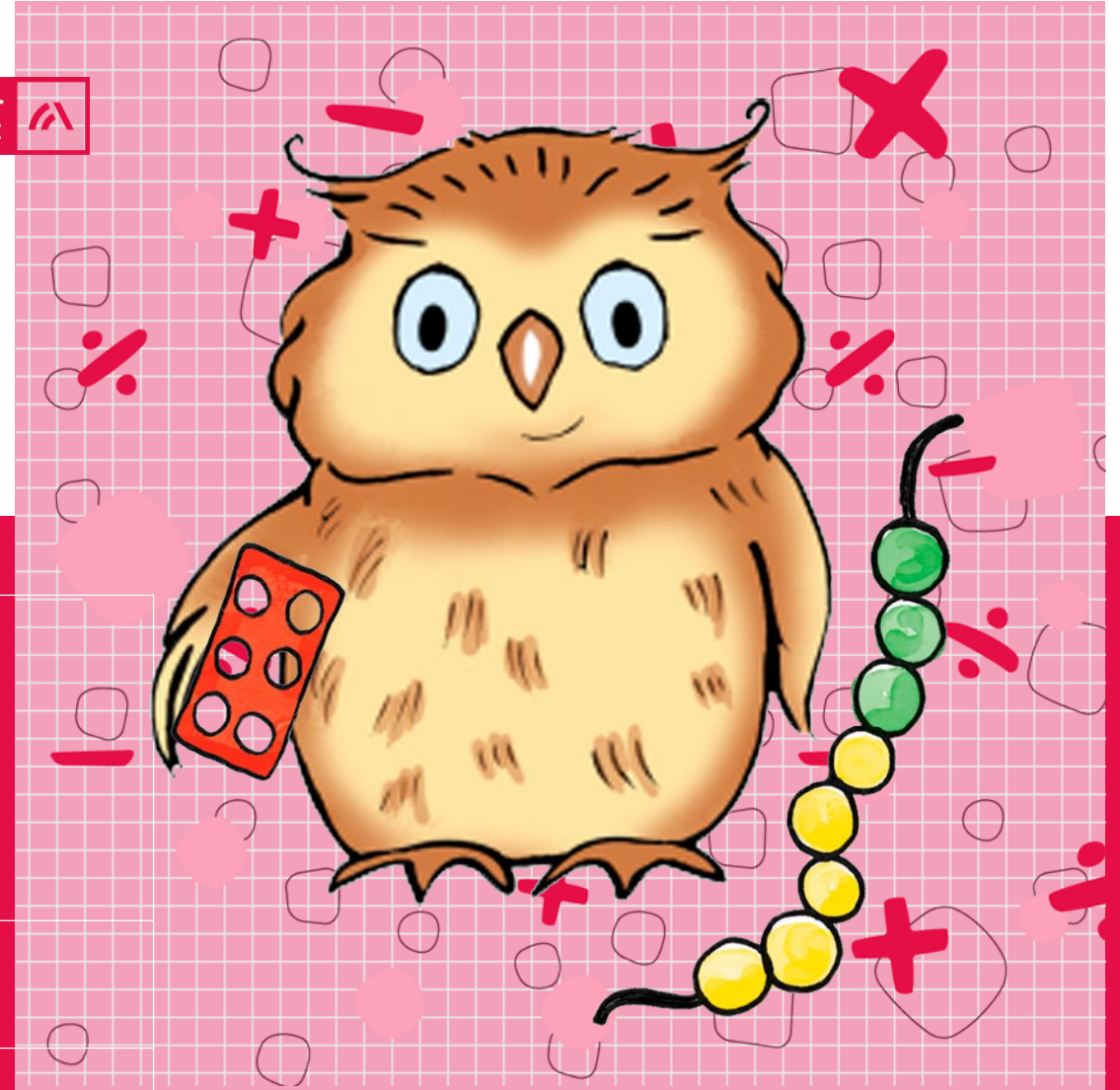
This Week



Year 3 Unit 6: Multiplication and division

Lesson 6: How many outfits?

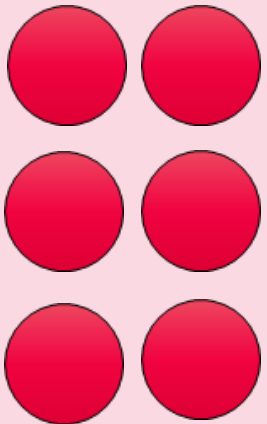
Mathematics
Mastery



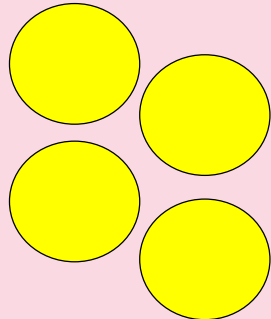
Find the factors

Can you find all the factors for each number? Use counters to make each number and find all the ways that it can be shared into equal groups. Remember the 'number of equal parts' and the 'value of the parts' are the factors. The whole is also known as the _____.

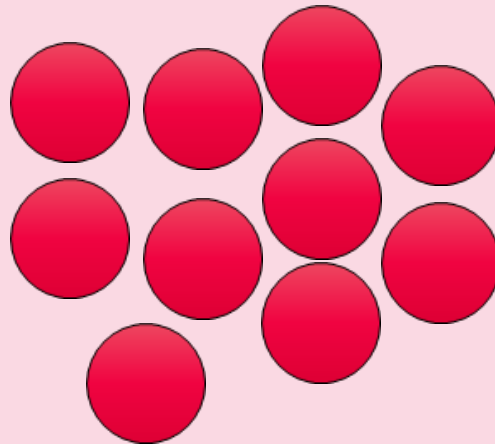
6



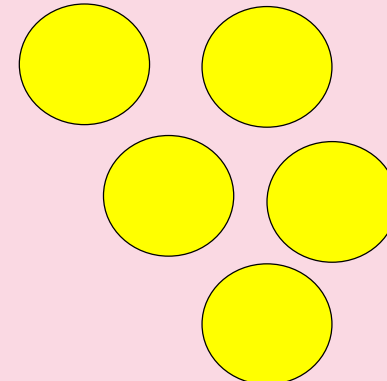
4



10



5



Can you use your multiplication facts to help you?

Remember, every number can be shared into 1 group or into groups of 1.



Do Now



Key learning: To solve correspondence problems

combinations

systematic



Star Words



Finding all the ways

Main course options: sausages or chicken



Dessert options: fruit pie or chocolate cake



Finding all the ways

Main course options:
sausages or chicken



Dessert options:
fruit pie or chocolate cake



First I will start with _____ and find all the combinations.

Then I will change _____ for _____ and find all the combinations. I will know I have finished because _____.

Altogether we found _____ combinations.



Identifying number patterns in correspondence problems



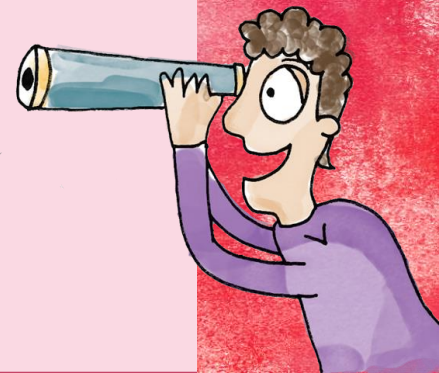
Did you find all the ways?

How many ways with sausages first?

How many ways with chicken first?



Develop Learning



Key learning: To solve correspondence problems

I have 3 different hats and 4 different tops. How many outfits can I create?

How many outfits would I be able to create with 4 different hats and 4 different tops?



Can you see a number pattern in your answer? How many outfits could be created with 5 different hats and 4 different tops?



Independent Task



Celebrating success and addressing misconceptions



I have 3 different hats and 4 different tops. How many outfits can I create?

How many outfits would I be able to create with 4 different hats and 4 different tops?



Number of hats	Number of tops	Number of combinations
3	4	
4	4	
5	4	

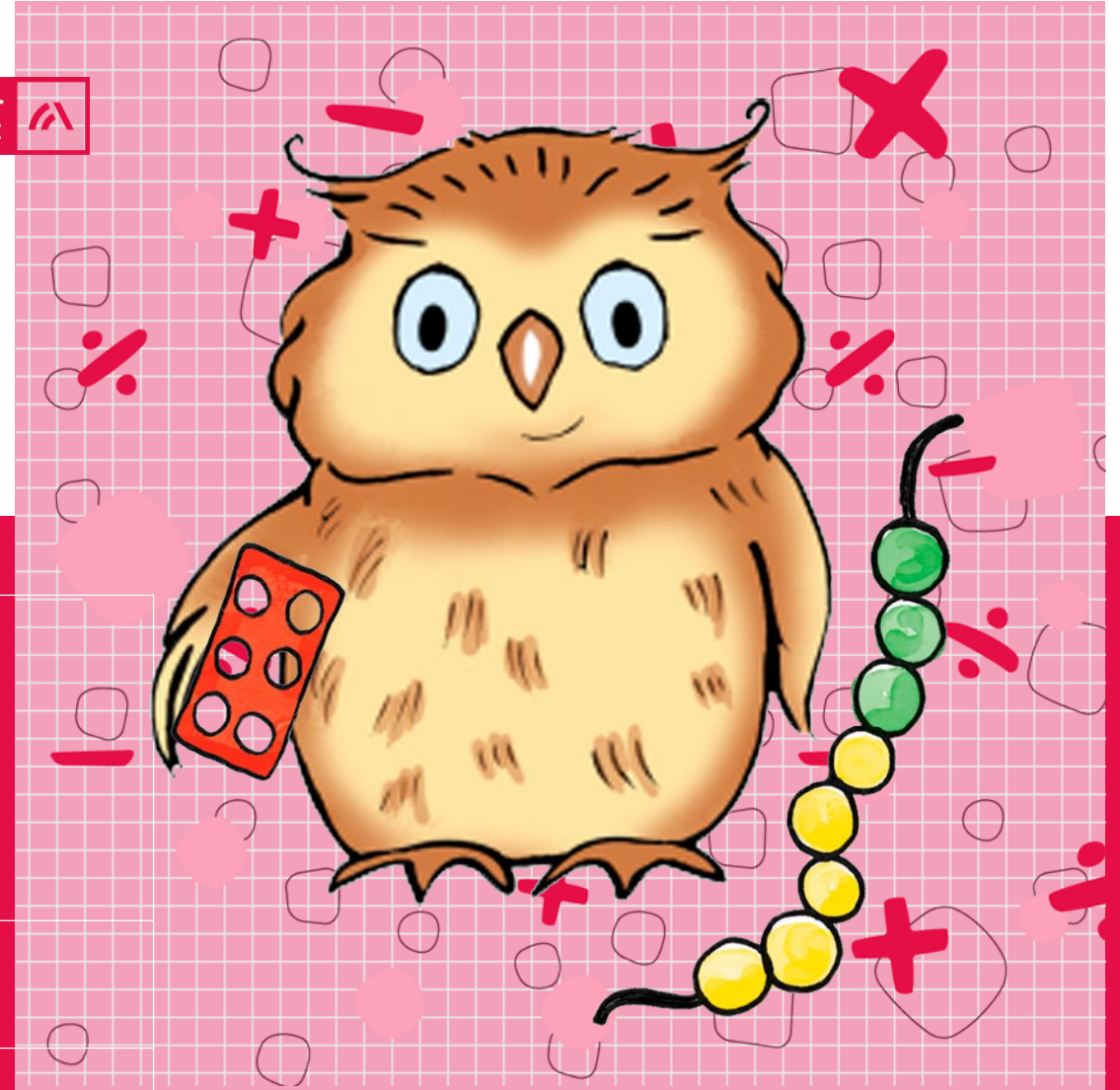
Can you see a number pattern in your answer? How many outfits could be created with 5 different hats and 4 different tops?



Year 3 Unit 6: Multiplication and division

Lesson 7: Doubling to find multiplication facts

Mathematics
Mastery



Multiples of three and four

Play the game Fizz Buzz to 30.



Do Now



Key learning: To recall and use multiplication facts for three and four to find multiplication facts for six and eight

factor



whole



product



double



equal parts



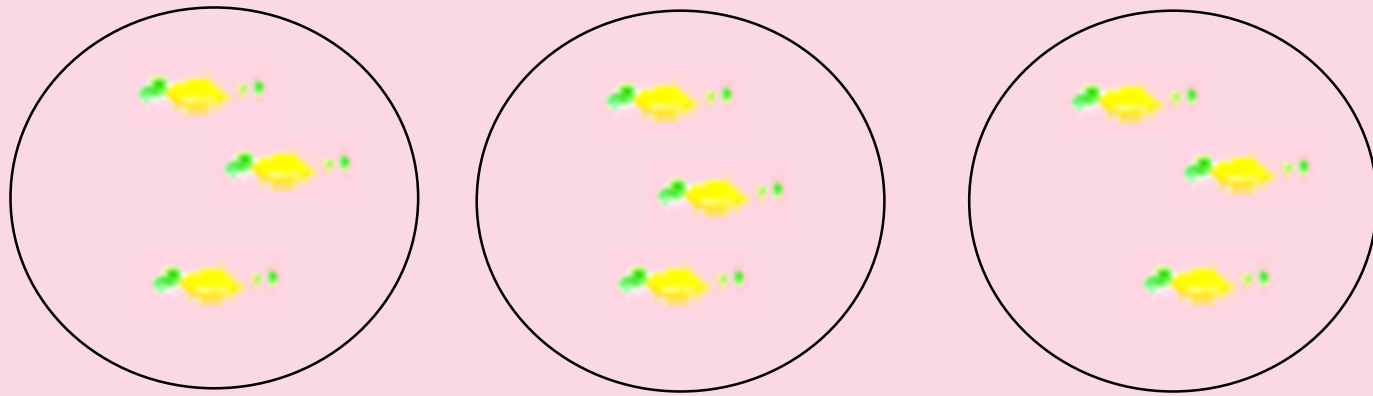
times as many



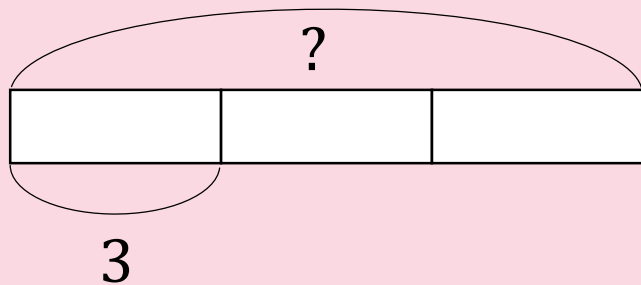
Star Words



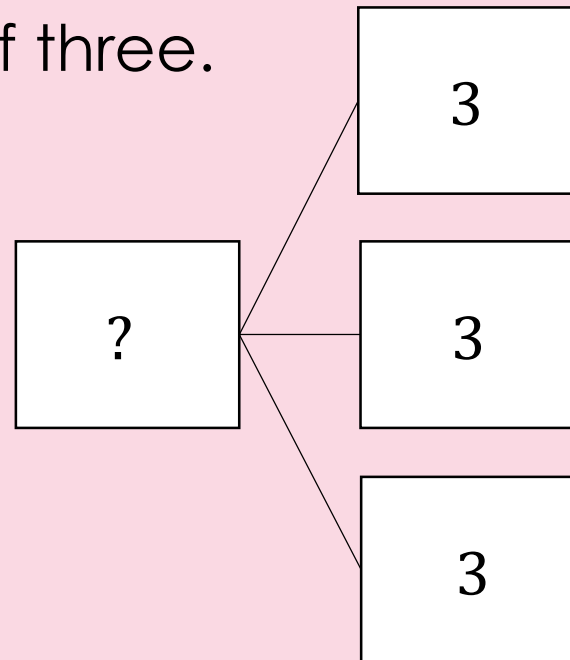
Explore doubling



I have made three groups of three.



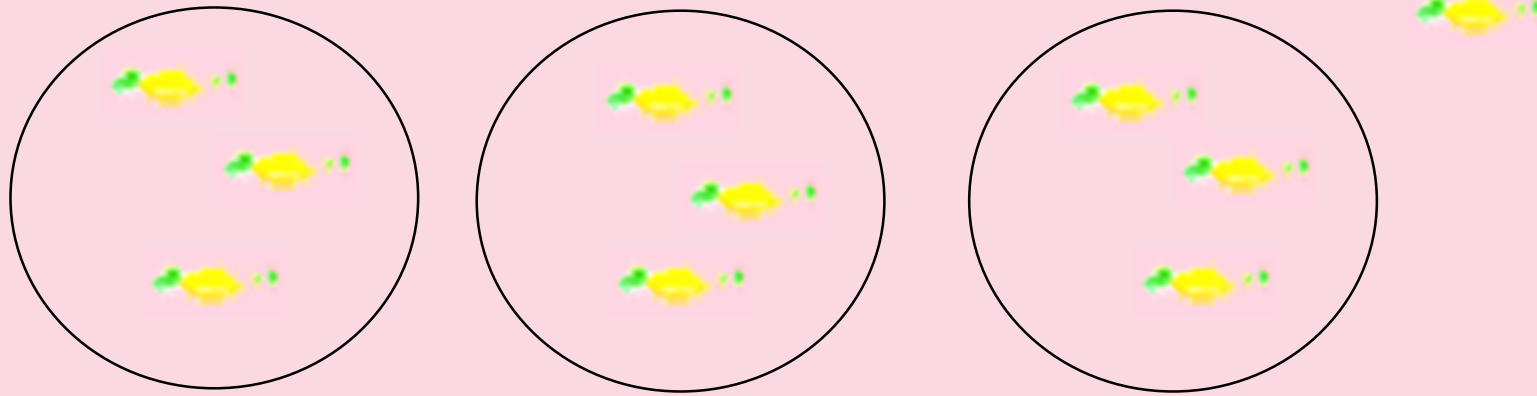
$$3 \times 3 = \boxed{}$$



Robin asked me to put three sweets in each lunch bag for the Merry Men. There are three of us going on an adventure today so I need to put sweets in three bags. How many sweets will I need?



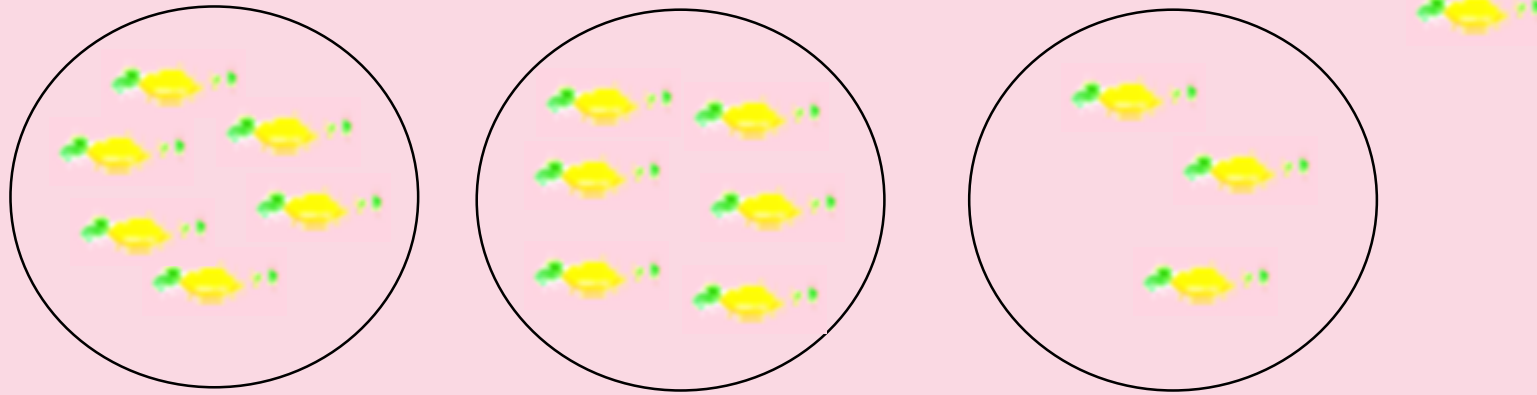
Explore doubling



Friar Tuck decided that it would make us happier if we had more sweets so he told me to put two times as many in each bag. How many do I need now?



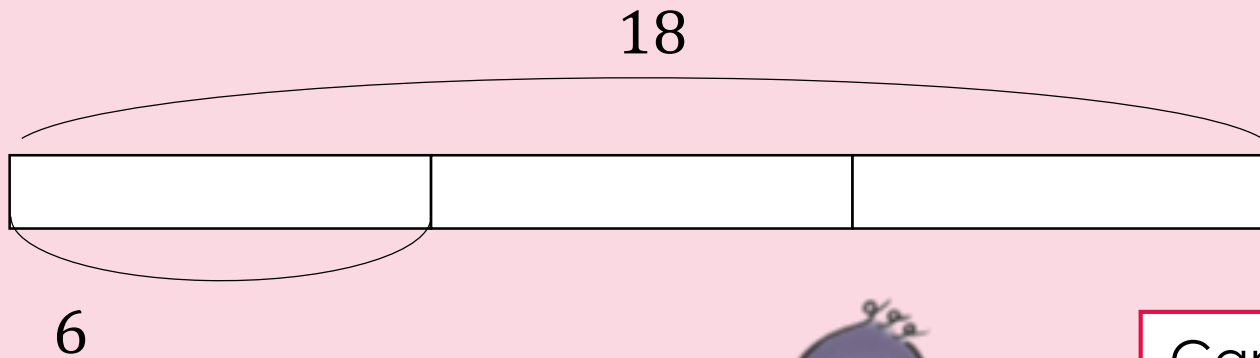
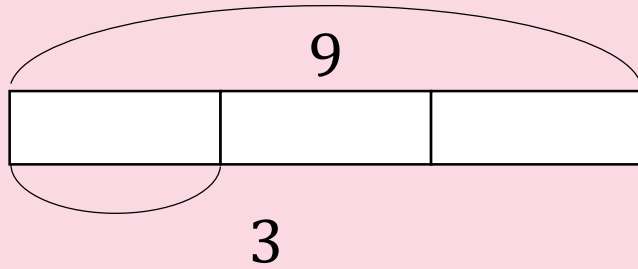
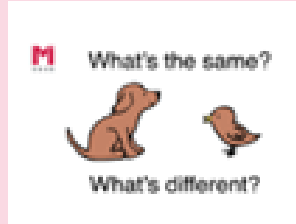
Explore doubling



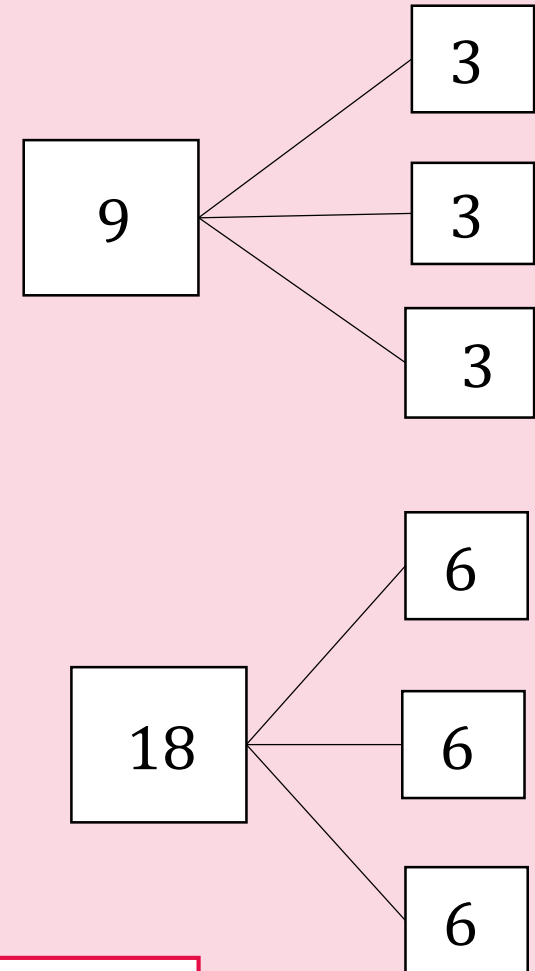
Friar Tuck decided that it would make us happier if we had more sweets so he told me to put two times as many in each bag. How many do I need now?



Explore doubling



Can you compare the representations of the two problems? What's the same? What's different?



Explore doubling

When we doubled the value of each part, the value of the whole (the product) was also doubled. Does this always happen?



$$3 \times 3 = 9$$

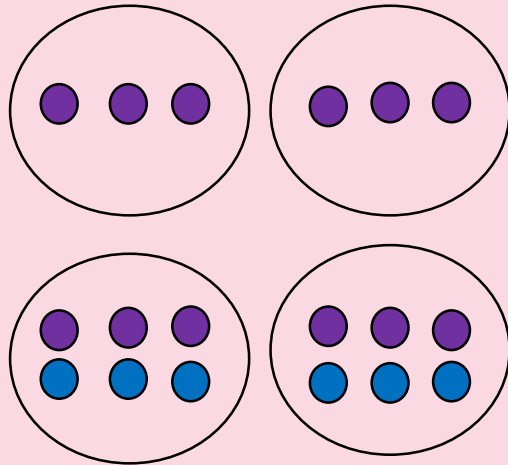
$$3 \times 6 = 18$$



Doubling multiplication facts



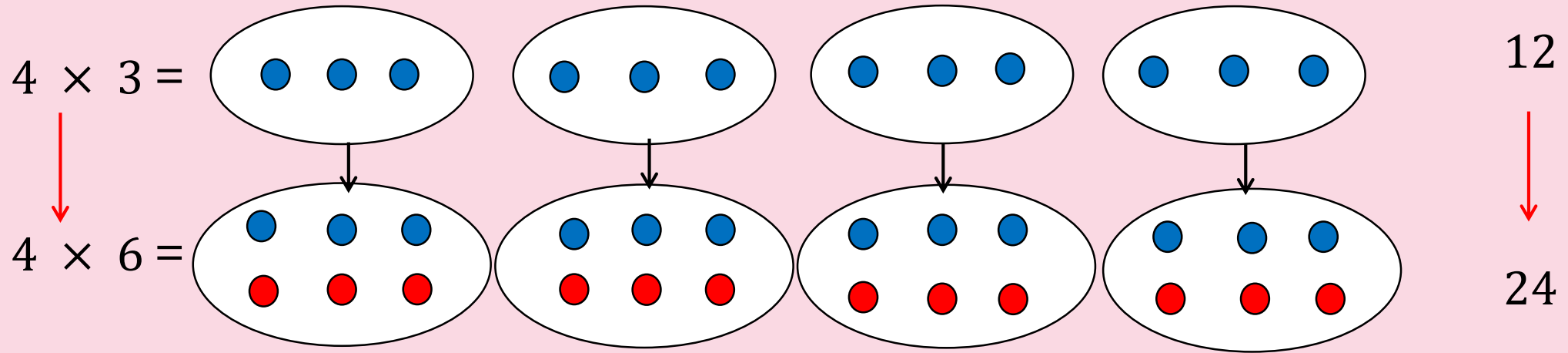
Roll two dice and represent a multiplication equation. Represent using equal parts. Double the number of counters in each part. Calculate the new product. Record the products. What do you notice?



Calculation	Product	Product when doubling each part
<input type="text"/> × <input type="text"/>		
<input type="text"/> × <input type="text"/>		

When I compared the products, I noticed...

Double multiplications of three to solve multiplications of six



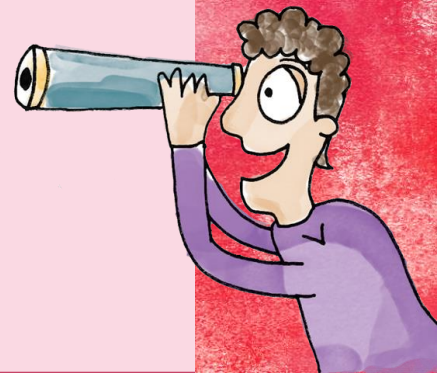
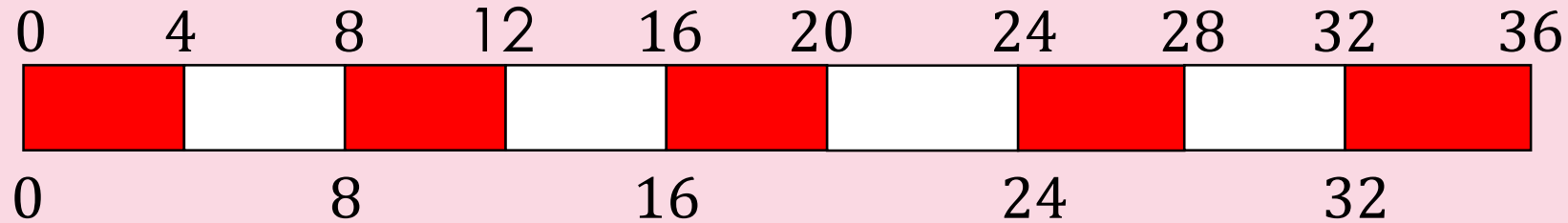
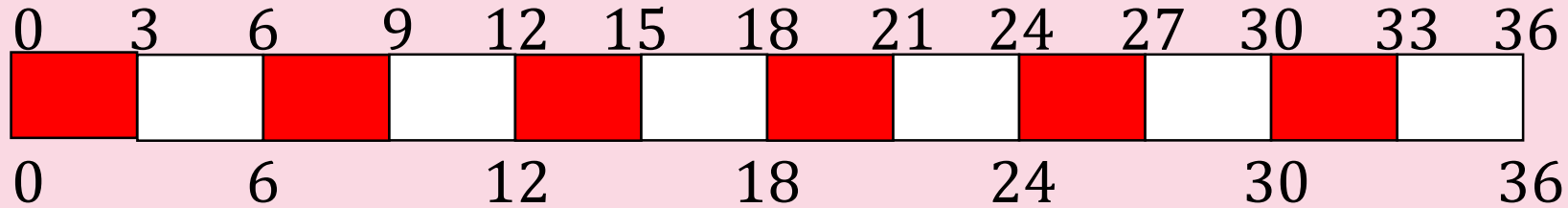
$\times 6$ will always be double $\times 3$

when these two numbers are the same
because 6 is double 3.

Rule: If you double the value of the parts
the product will be doubled.



Double multiplications of three to solve multiplications of six



Key learning: To recall and use multiplication facts for three and four to find multiplication facts for six and eight

$$1 \times 3$$

$$5 \times 3$$

$$5 \times 8$$

$$5 \times 4$$

$$3 \times 6$$

$$1 \times 8$$

$$3 \times 3$$

$$2 \times 4$$

$$1 \times 4$$

$$1 \times 6$$

$$10 \times 6$$

$$4 \times 8$$

$$2 \times 6$$

$$4 \times 4$$

$$10 \times 3$$

$$2 \times 3$$

$$5 \times 6$$

$$2 \times 8$$

Find pairs of multiplication facts so that you can double one fact to find the other. You know your threes and fours – use them to help you work out your sixes and eights. Work out the two facts and write them down. Then show that you are right by using the bead string to check.



Independent Task



Celebrating success and addressing misconceptions



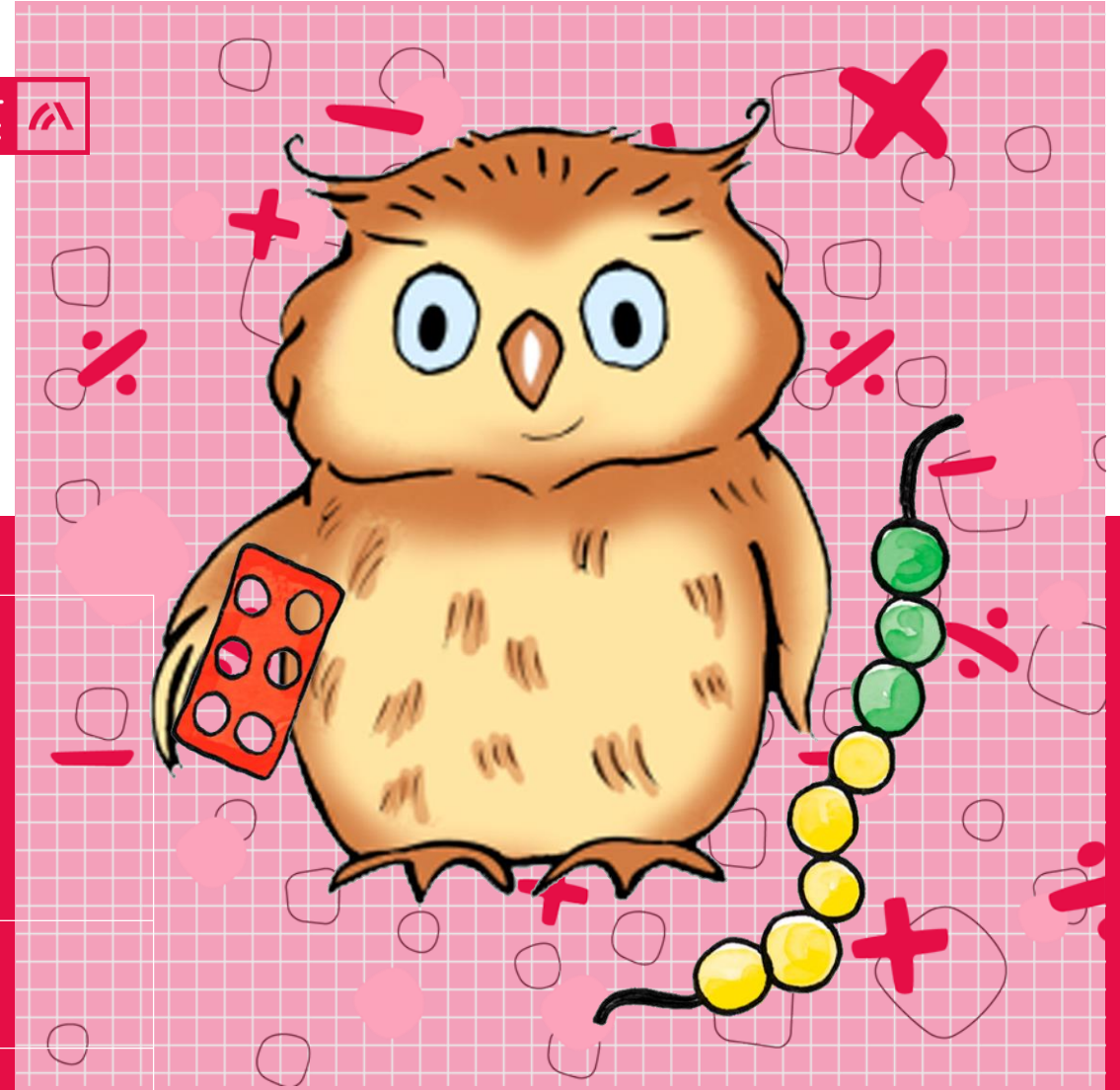
Plenary



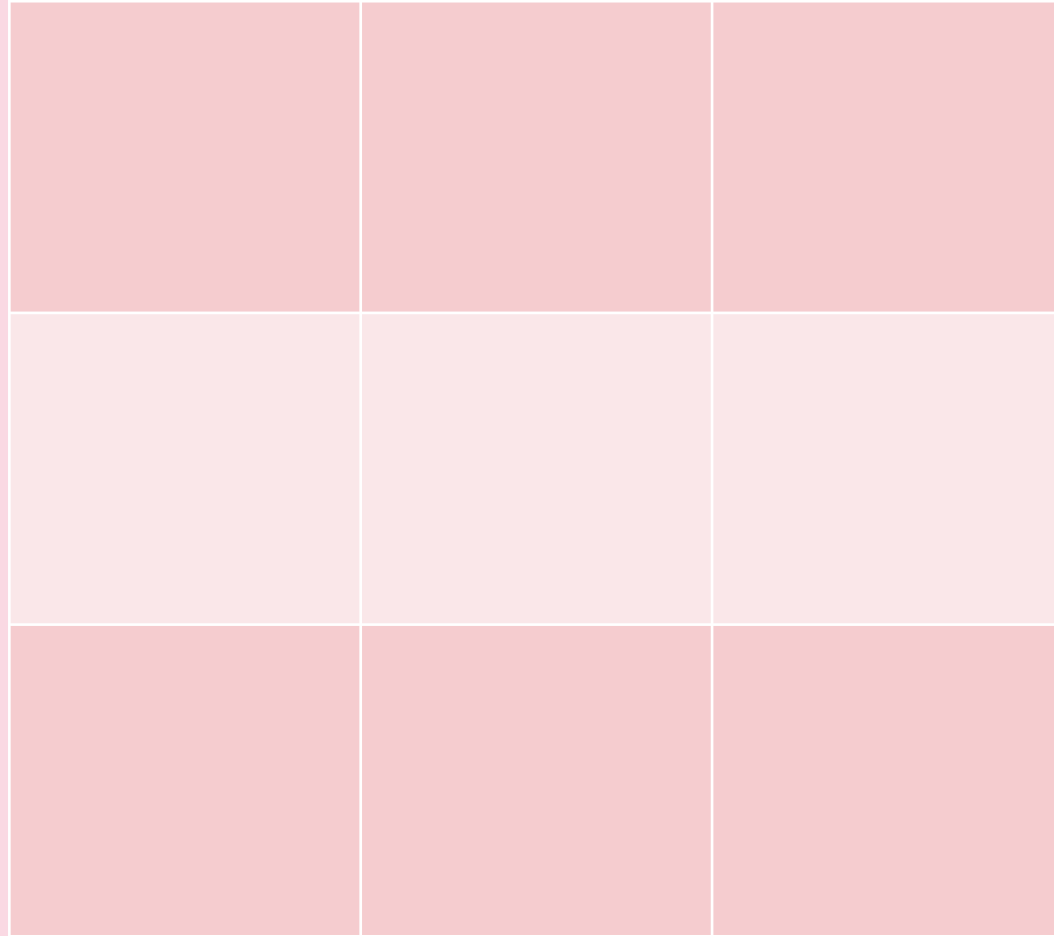
Year 3 Unit 6: Multiplication and division

Lesson 8: Ten times greater

Mathematics
Mastery



Multiple Bingo (3x and 4x times table facts)



Do Now



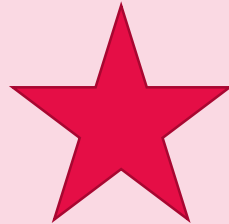
Key learning: To derive 'ten times greater' facts for known multiplication facts

ten times greater/ less



value

ten times as much



place value



related facts



Star Words



Ten times greater

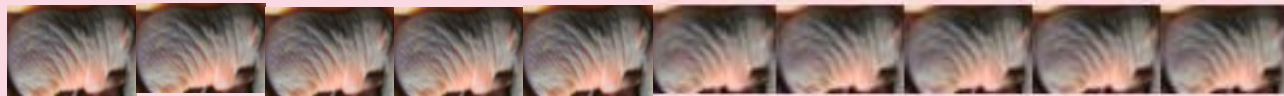


When baby moles are born they are usually about 2cm long. An adult mole is usually ten times longer. How long would an adult mole be?

How can we represent the maths in this word problem?



Ten times greater



--	--	--	--	--	--	--	--	--	--

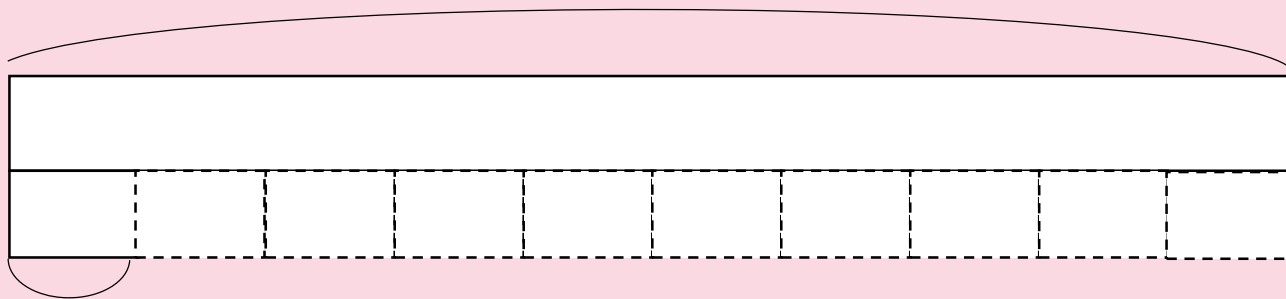
When baby moles are born they are usually about 2cm long. An adult mole is usually ten times longer. How long would an adult mole be?



Ten times greater

When baby moles are born they are usually about 2cm long. An adult mole is usually ten times longer. How long would an adult mole be?

length of an adult mole



length of an baby mole

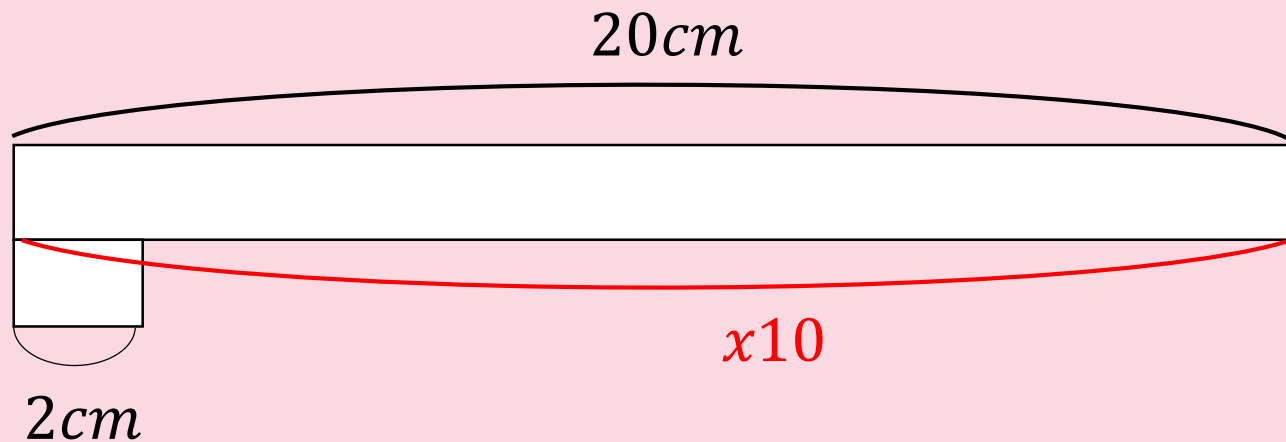


Ten times greater

When baby moles are born they are usually about 2cm long. An adult mole is usually ten times longer. How long would an adult mole be?

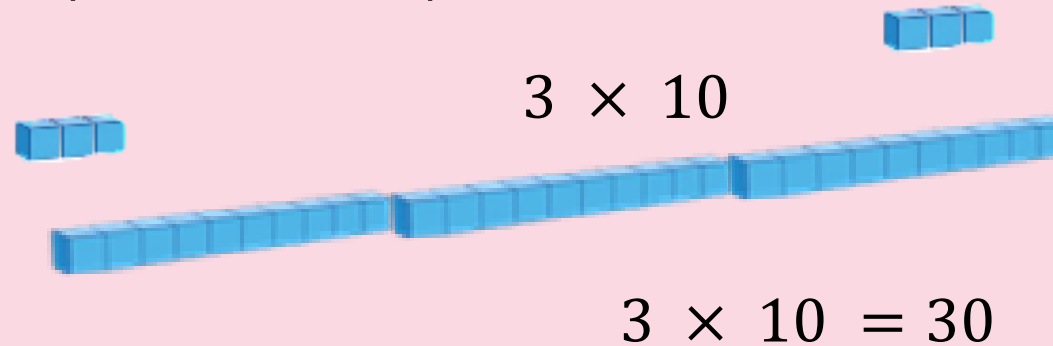
$$2 \times 10 = 20$$

Two multiplied by ten is equal to twenty.
 2cm multiplied by ten is equal to 20cm .
Adult moles are usually 20cm long.



Exploring ten times greater multiplications

Choose a calculation. Represent the 1-digit number using ones in a bar. Make a 'ten times greater' bar using the same number of tens. Record the completed multiplication equations.



I am making a bar representing ten times greater using one Dienes ten for each Dienes one in the first bar.

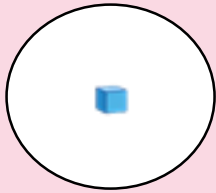
I noticed that the first value has a __ in the ones and the second value has a __ in the tens. I think this is because...



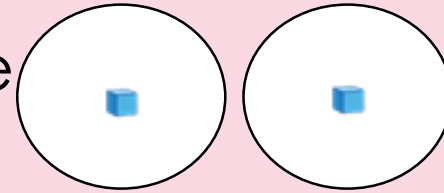
Applying learning about ten times greater

What did you find out? Why does it happen?

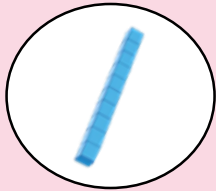
One group of one
 1×1



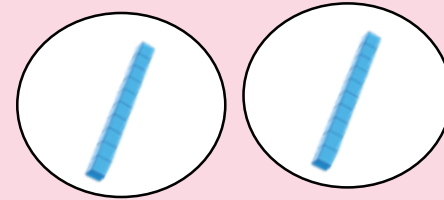
Two groups of one
 2×1 or 1×2



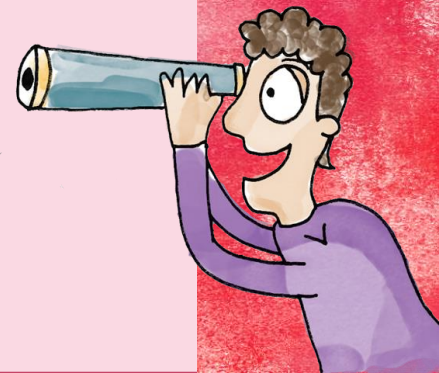
One group of ten
 1×10 or 10×1



Two groups of ten
 2×10 or 10×2



If we make the value ten times greater,
each one now has a value of ten.



Applying learning about ten times greater

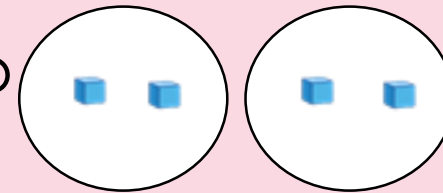


What if the first value is greater than one?

One group of two
 1×2 or 2×1

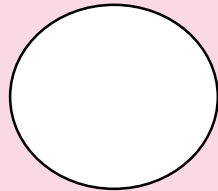


Two groups of two
 2×2



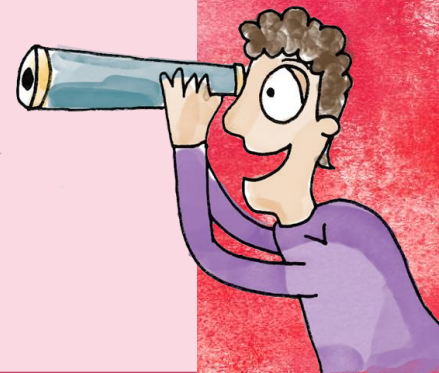
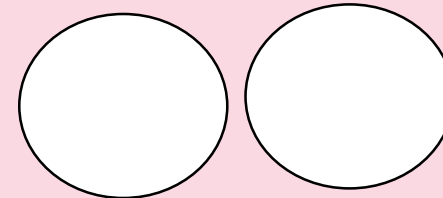
___ group of ___

$$\square \times \square = \square$$



___ groups of ___

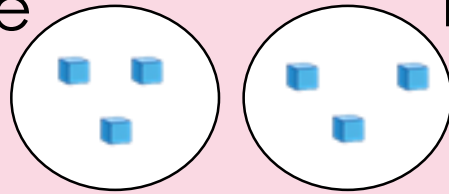
$$\square \times \square = \square$$



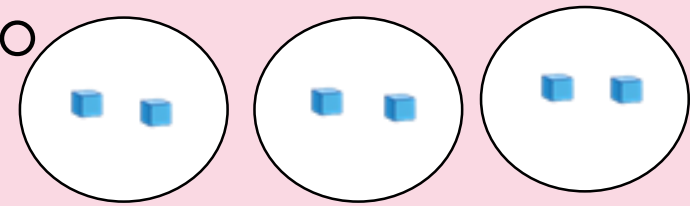
Applying learning about ten times greater

What if the first value is greater than one?

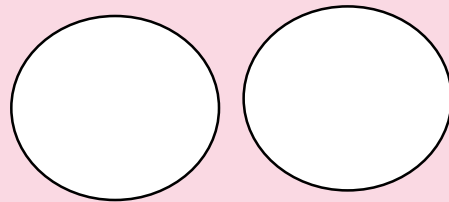
Two groups of three
 3×2 or 2×3



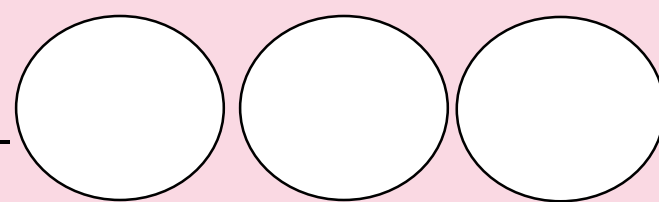
Three groups of two
 3×2 or 2×3



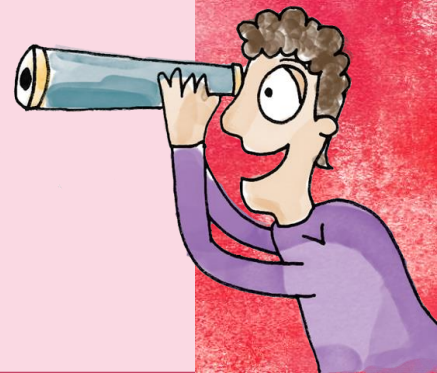
___ groups of ___
 $\square \times \square = \square$



___ groups of ___
 $\square \times \square = \square$



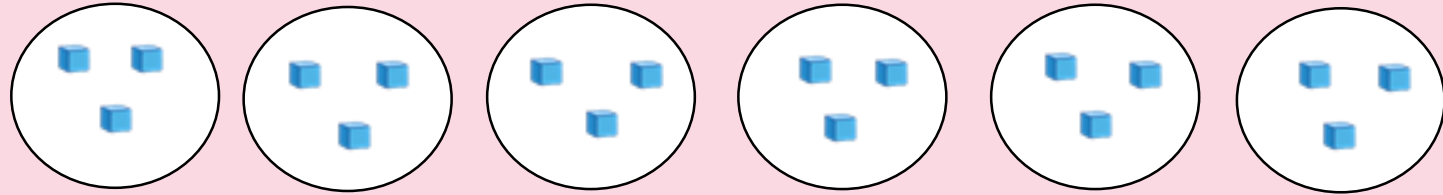
Develop Learning



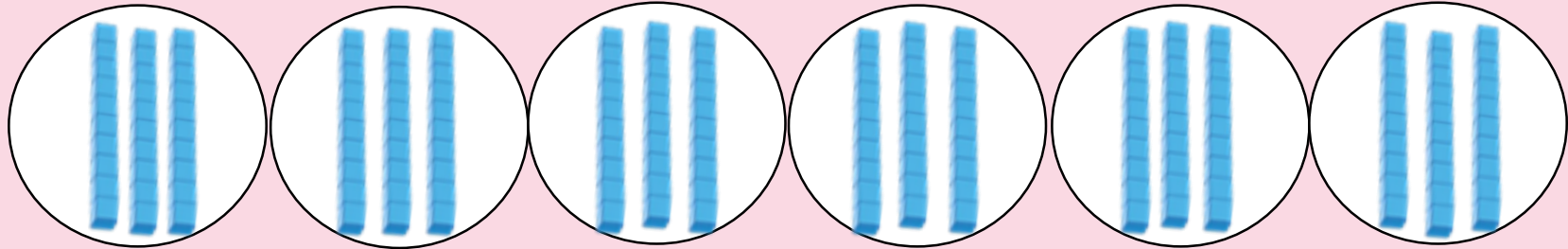
Applying learning about ten times greater

How could this help us?

$$6 \times 3 = 18$$



$$6 \times 30 = \square$$

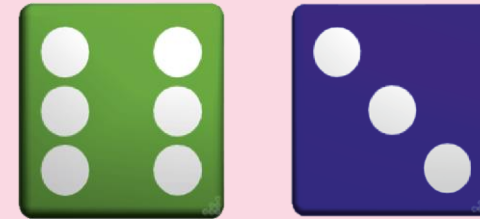
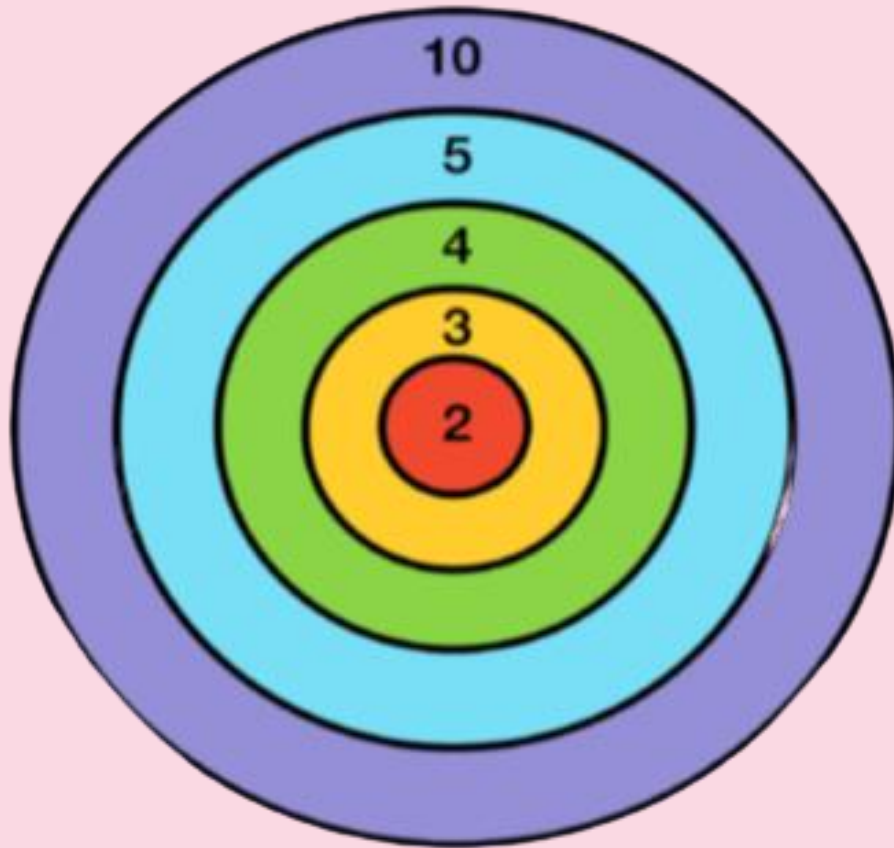


Develop Learning



Key learning: To derive 'ten times greater' facts for known multiplication facts

Deriving 'ten times greater' multiplication facts



Independent Task



If I know...what else do I know?

If I know that $3 \times 4 = 12$, what else do I know?

$$12 \div 4 = 3$$

$$4 \times 3 = 12$$

$$30 \times 4 = 120$$

$$3 \times 4 = 12$$

$$12 \div 3 = 4$$

$$120 \div 3 = 40$$

$$40 \times 3 = 120$$

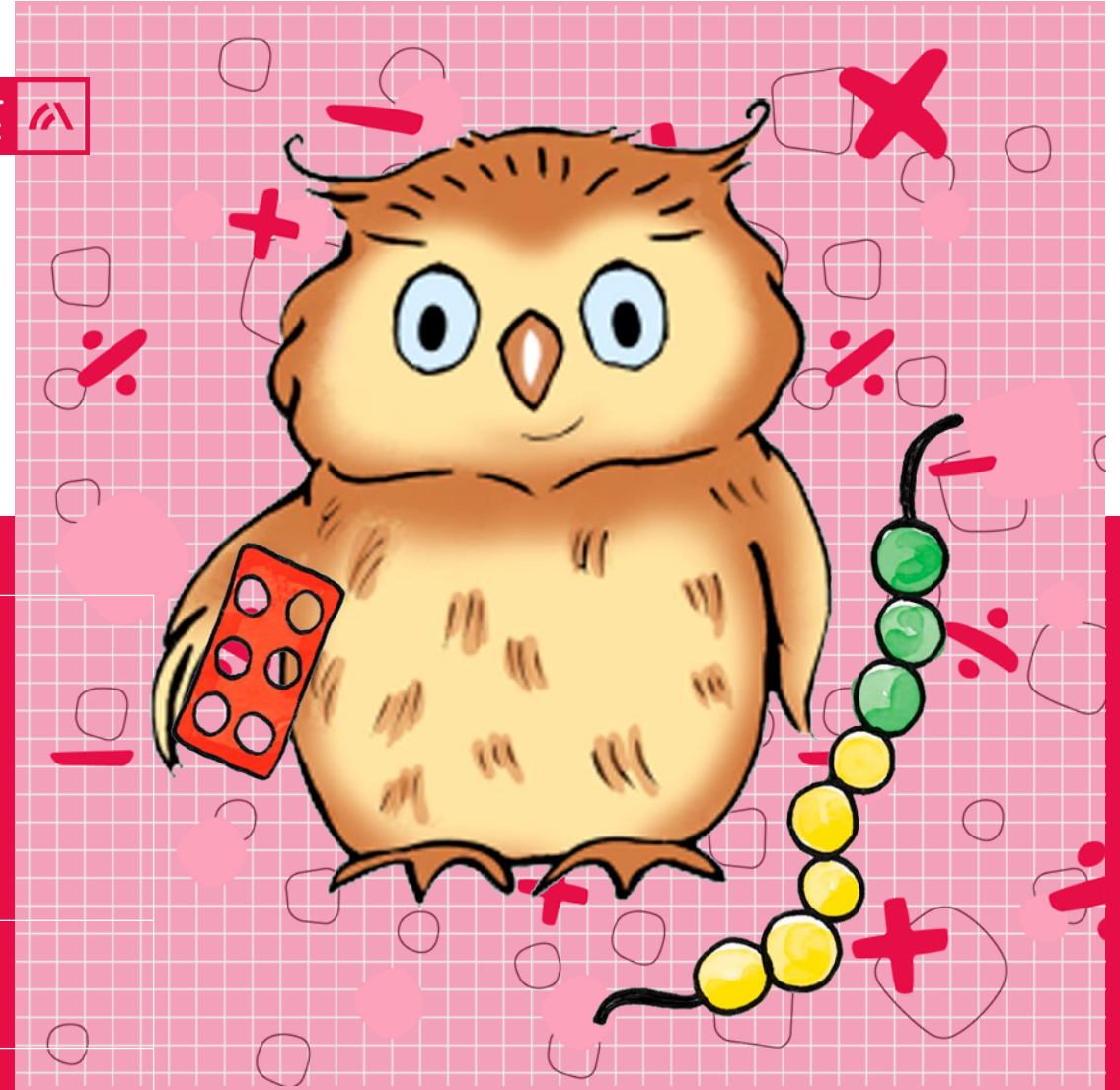
$$3 \times 4 = 12$$



Year 3 Unit 6: Multiplication and division

Lesson 9: Use bar models to represent word problems

Mathematics
Mastery



Teacher choice



Do Now



Key learning: To match appropriate bar models to multiplication and division problems

twice as many/much



half of

times greater/more

bar model



a third of



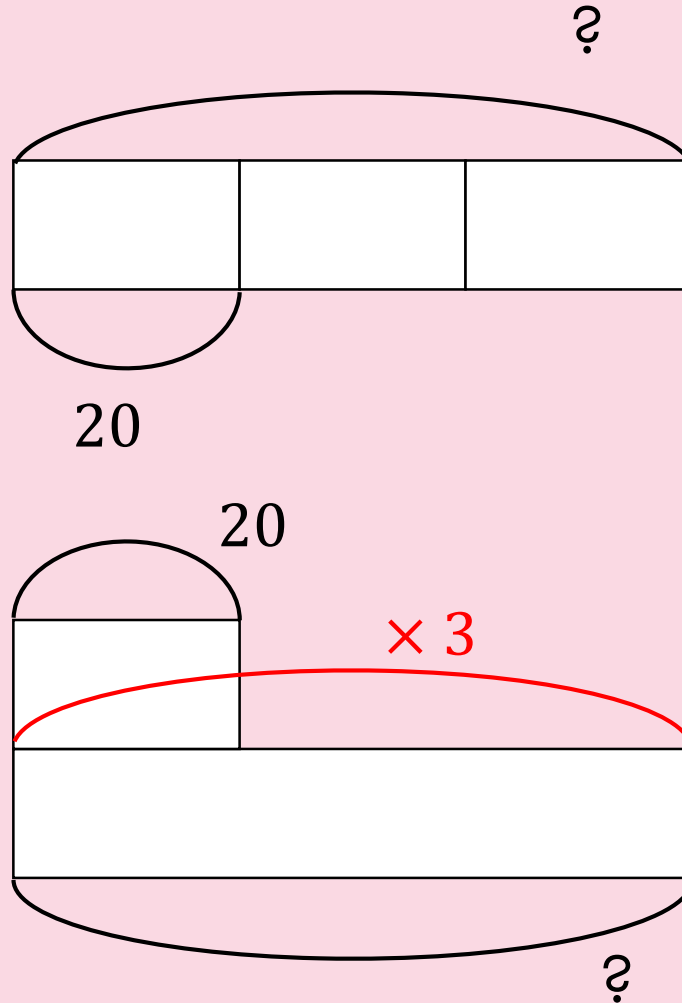
Star Words



Comparing bar models for multiplication problems



Robin shot his arrow three times as far as the Sheriff. The Sheriff's arrow went 20 metres. How far did Robin shoot his arrow?



Friar Tuck cooked three bags of sausages. There were 20 sausages in each bag. How many sausages did he cook?

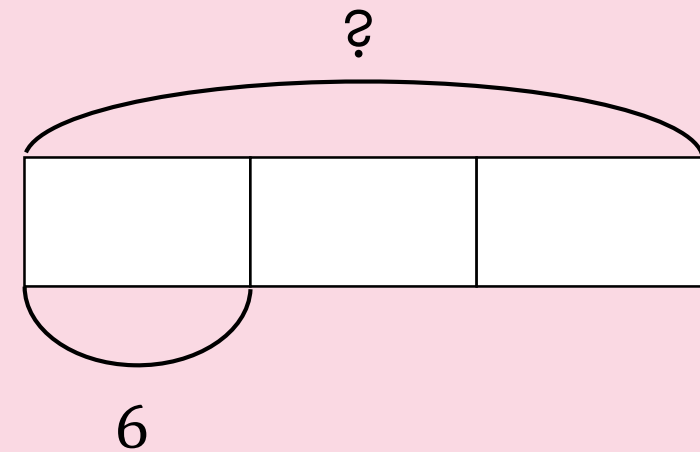


Describing knowns and unknowns to sort bar models

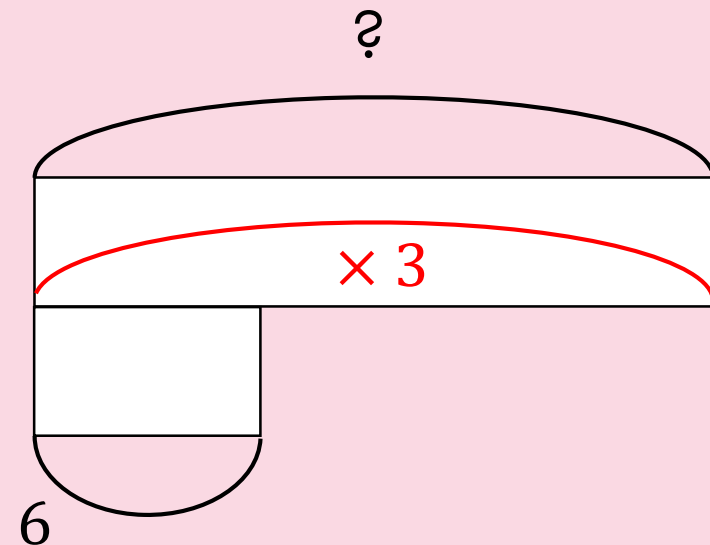


We know there are three equal parts and that each part has a value of six. We don't know the value of the whole.

We know that one value is six and we know that the second value is three times greater than six. We don't know the second value.

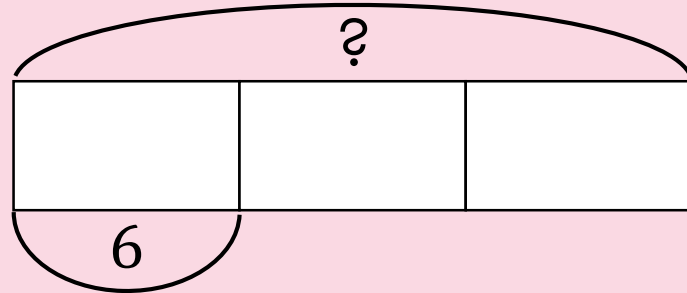


The first bar model has equal parts and a whole. The second bar model shows a times greater or times more relationship.



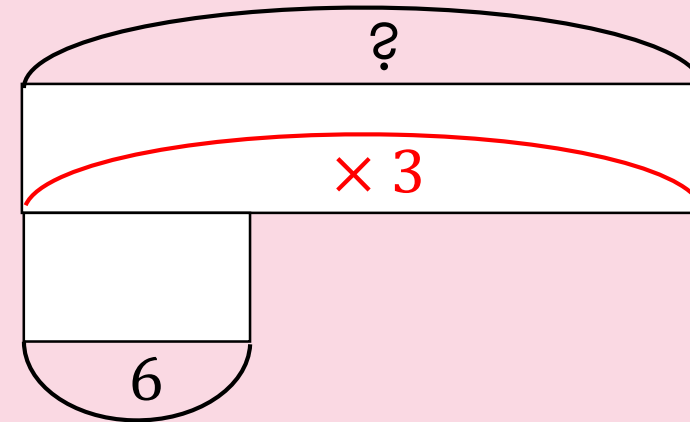
Describing knowns and unknowns to sort bar models

Choose a pair of bar models. Describe what is known and what is unknown. Sort the bar models as either **equal parts and whole** or **times greater / more**.



We know We don't know ...

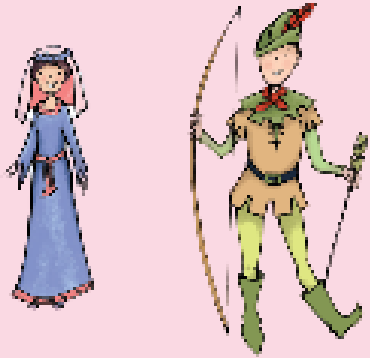
This bar model shows a times greater or times more relationship.



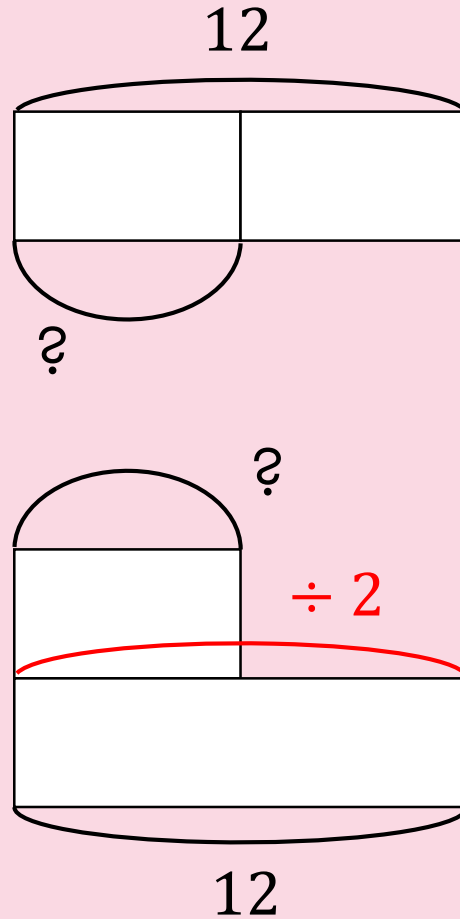
This bar model has equal parts and a whole.



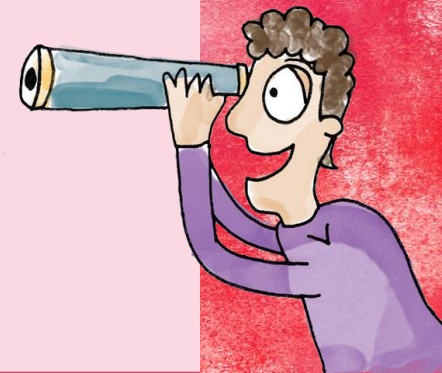
Comparing bar models for division problems



Maid Marian climbed 12 metres up a tree. Robin managed to climb half as high. How high did Robin climb?



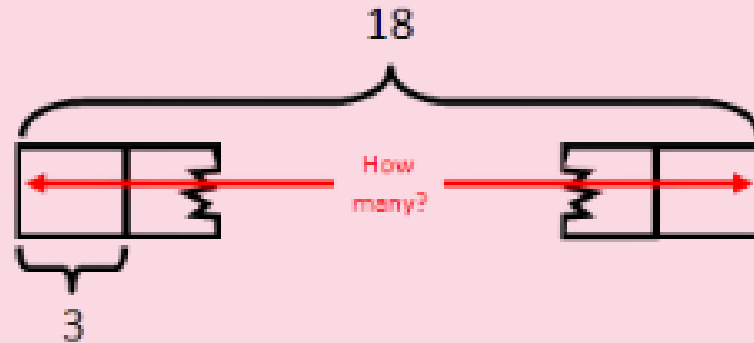
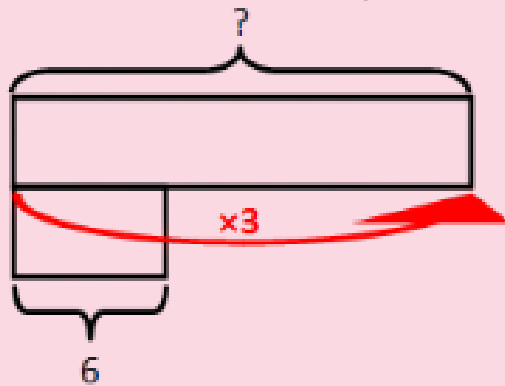
The Sheriff was forced to give his gold coins to two Merry Men. There were 12 coins and each Merry Man got a fair share. How many coins did they get each?



Key learning: To match appropriate bar models to multiplication and division problems

Match bar models to multiplication and division problems

- Read each problem carefully.
- Describe the known and unknown values and find the appropriate bar model to match to the problem.
- Use the bar model to decide on the calculation needed to solve the problem. Calculate solution (using known number facts) and write a sentence to answer the question in the problem.



- 1) Marian has 18 biscuits. She gave three biscuits to each Merry Man when they came back from their adventures. How many Merry Men got biscuits?
- 2) Will Scarlett ate six chicken drumsticks. Friar Tuck ate three times as many! How many did Friar Tuck have?



How bar models helped to identify the calculation to solve the problem

How good was your explanation?

Did the bar models help you understand what calculation was needed?

